

Universal mathematics result of NP and P

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The whole idea of $P = NP$ needs to be recreated. It's so simple yet so confusing, for it is asking two questions with opposite answers in a single ask. The question itself is incorrect. Let NP problems be problems without an answer, so time is still counting with no solution whatsoever of the question. And let P problems be problems with an answer, but unproven. So the time appears as if it stops running, but it is uncertain, but if correct, sure to be proven. If it possesses the greatest confidence that a NP problem is solved but haven't proven, it no longer is a NP problem. Officially, it becomes a P problem. If it's proven false, with no new confident solutions, then it officially becomes, again, a NP problem.

Who said it is harder solving something than proving it? Such a statement is incorrect. I can take 1 day to solve a NP problem, and it takes you 5 years to prove it. I can take 5 years to solve a NP problem and it takes you 1 day to prove it. NP problem equals P problem, the problems never change. NP methods, on the other hand, do not equal P methods. P methods are the easier ways of getting things done, while NP methods are the more difficult ways of getting them done. There is a square with 900 squares inside. Man-1 takes hours to count all the squares and gets 900 squares. Man-2 counts the squares of the width and the squares of the length and gets 900 in five minutes. Man-1 uses the NP method, which is counting. Man-2 uses the P method, which is multiplying. P method is better than NP methods, they are not equal. The problem stays the same no matter how long or how fast it takes to solve or prove, but the methods on the other hand can be highly differentiated.

It is simple! Find better P methods! There are infinite solutions. And if finds a much, much better P method than the P method before, then officially, the P method before becomes a NP method. Example: house phones were better at communicating at a distance than mailing, while mailing was better than traveling. Now, a cell phone is better than a house phone, because you can take a cellphone anywhere with you. One couldn't be out of their mind to say, pertaining merely to the exchange of information at a distance, traveling is better than calling on a cell phone. $P \text{ problem} = NP \text{ problem}$. $P \text{ method} \neq NP \text{ method}$.